

Study of Loss Distribution with detailed Aperture Model

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- ❑ Beam loss distribution is important input for the BLM-system
- ❑ Dilution length of losses: important information for LHC collimation system

Aperture Model + Particle Tracking Environment

- ❑ Aperture Information for Dispersion Suppressor and Arc downstream (beam1) of IR7
 - ❑ First marker at: ~235 m from IP7
 - ❑ Last marker at: ~2845 m from IP7
- ❑ Every change of aperture is included (transition pieces, BPMs, beamscreens outside the magnets, locations of bellows,...)
 - ❑ At some locations in the order of 5m without aperture element: more markers will be included
- ❑ MBs and MQs are sliced

Aperture Model + Particle Tracking Environment

- ❑ MAD-X: Aperture Information → LHC sequence.
- ❑ MAD-X: Particle Tracking
- ❑ Post-processing:
 - ❑ longitudinal loss distribution ($N_{\text{lost}}(s)$)
 - ❑ list of hit elements
 - ❑ coordinates of lost particles at each hit element
 - ❑ dilution length for losses

Definition of Dilution Length

□ Dilution Length and collimation:

The cleaning inefficiency is determined via tracking programs producing secondary and tertiary halo particles.

Cleaning inefficiency for N lost particles:

$$\eta_c(a_c) = \frac{1}{N} \sum_{i=1}^N H(A_r - a_c)$$

□ Local cleaning inefficiency: required local cleaning inefficiency defined via quench limit and maximum loss rate

$$\tilde{\eta}_c = \eta_c / L_{\text{dil}} = \frac{R_q}{\dot{N}_{\text{max}}}$$

Definition of Dilution Length

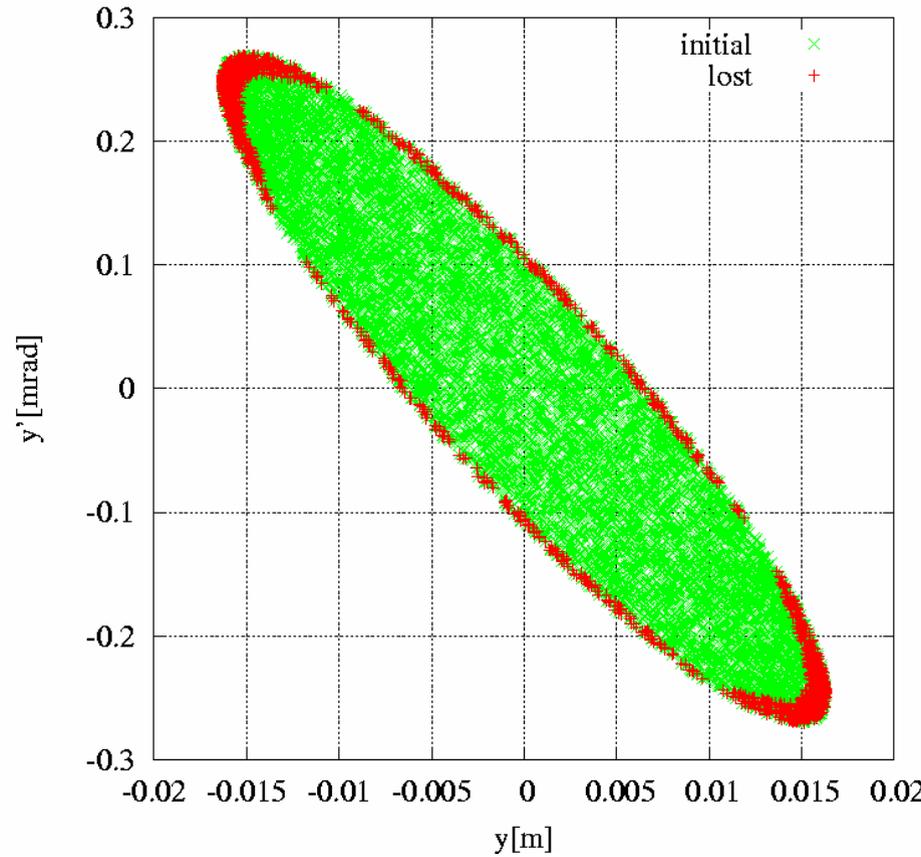
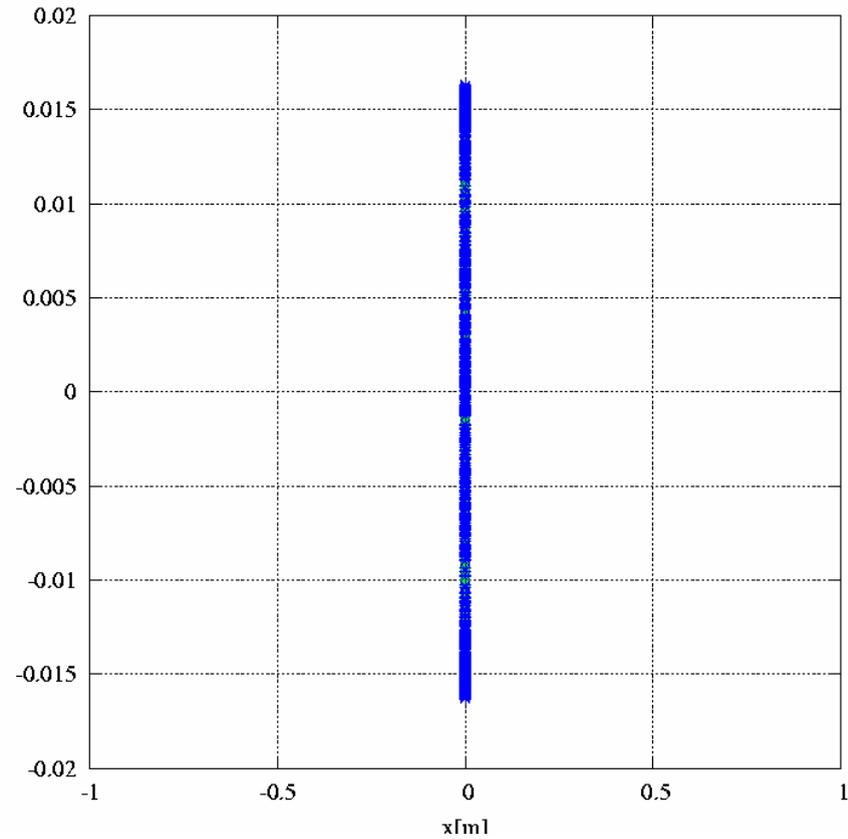
- ❑ Assumption on dilution length so far: 50m
- ❑ To determine the dilution length from our data:
 - ❑ output of simulation: number of lost particles per m: $N_{\text{lost}}(\mathbf{s})$
 - ❑ dilution length:

$$L_{\text{dil}}^{-1} = \frac{\max N_{\text{lost}}(\mathbf{s})}{\sum_{\mathbf{s}} N_{\text{lost}}(\mathbf{s})}$$

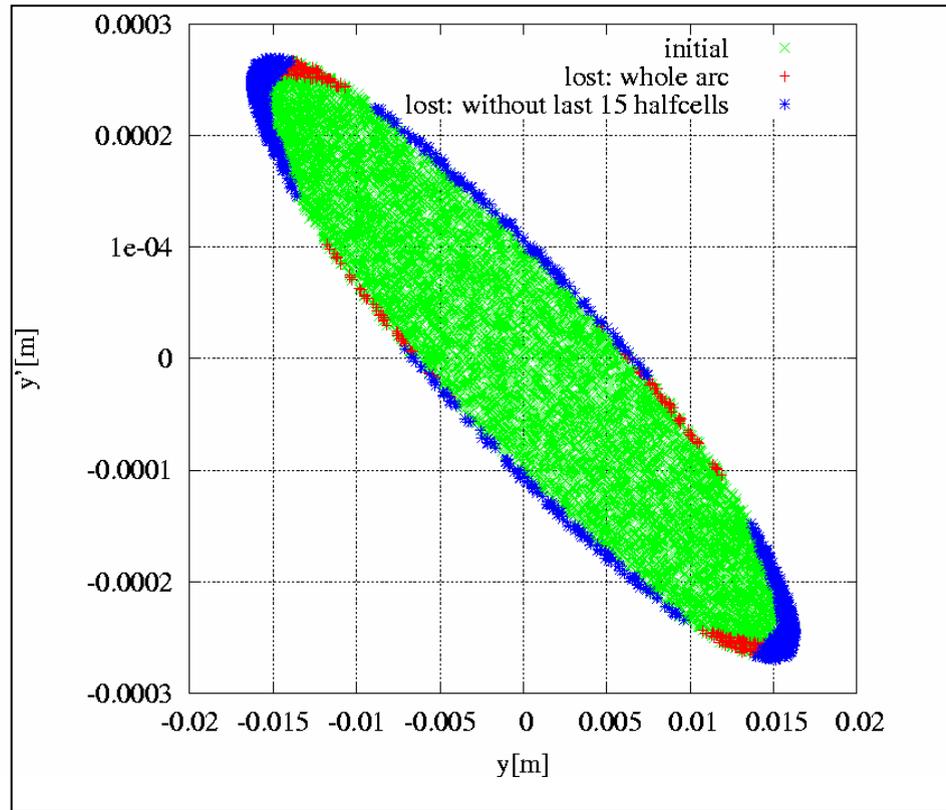
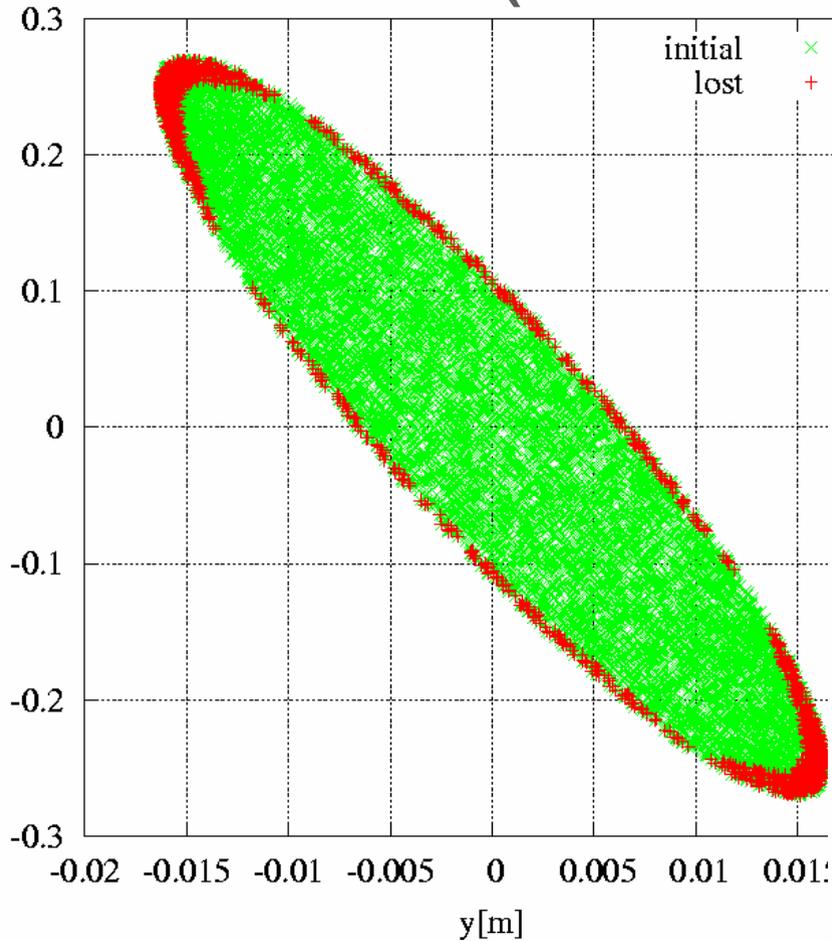
Testing the Environment ...

- ❑ Loss distributions for test particle configurations (uniform distributions in x and y)
- ❑ 7 TeV protons, 10^4 particles
- ❑ single pass through the section with detailed aperture
- ❑ No errors

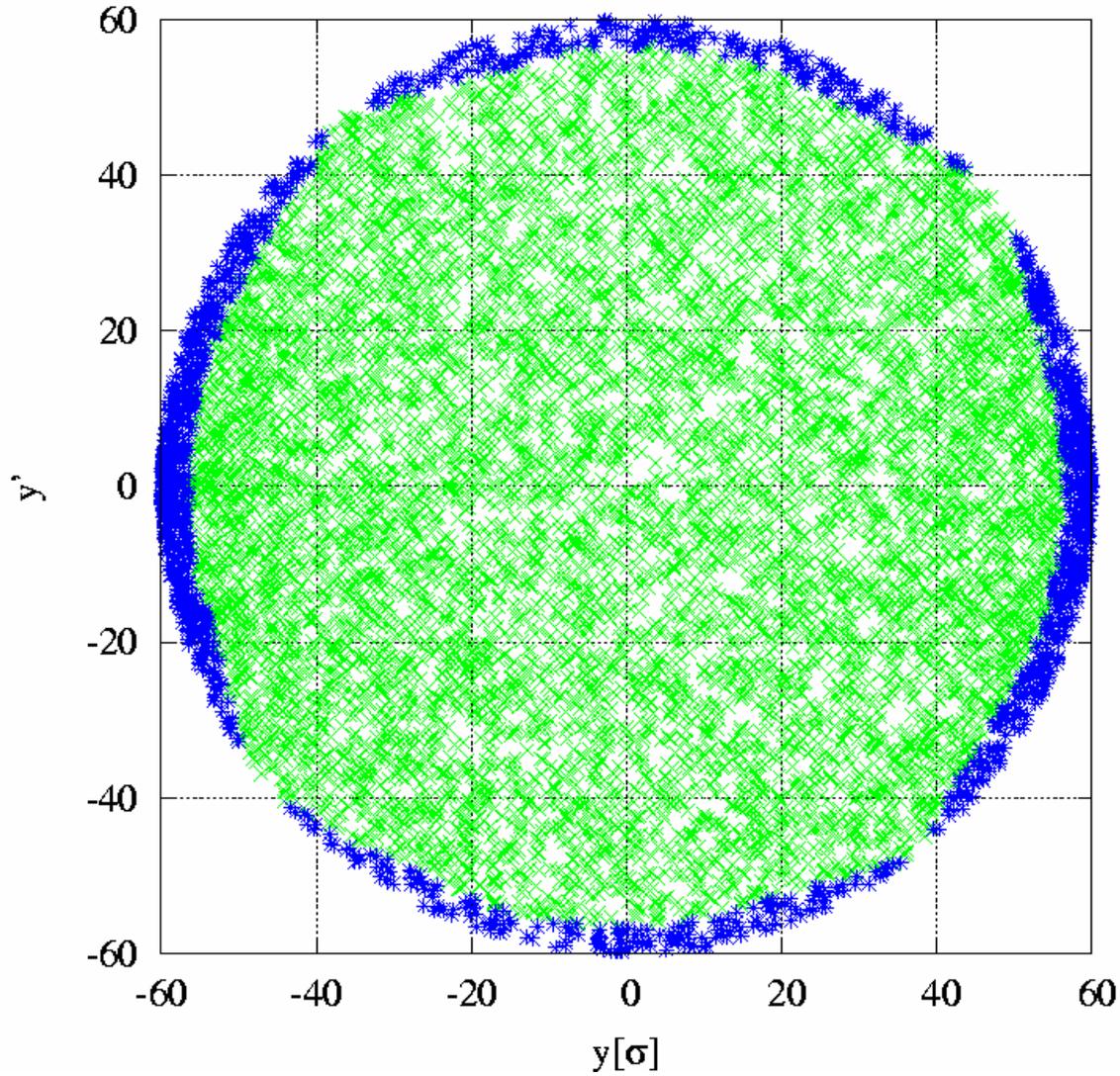
Uniform distribution in y , $x = 0$



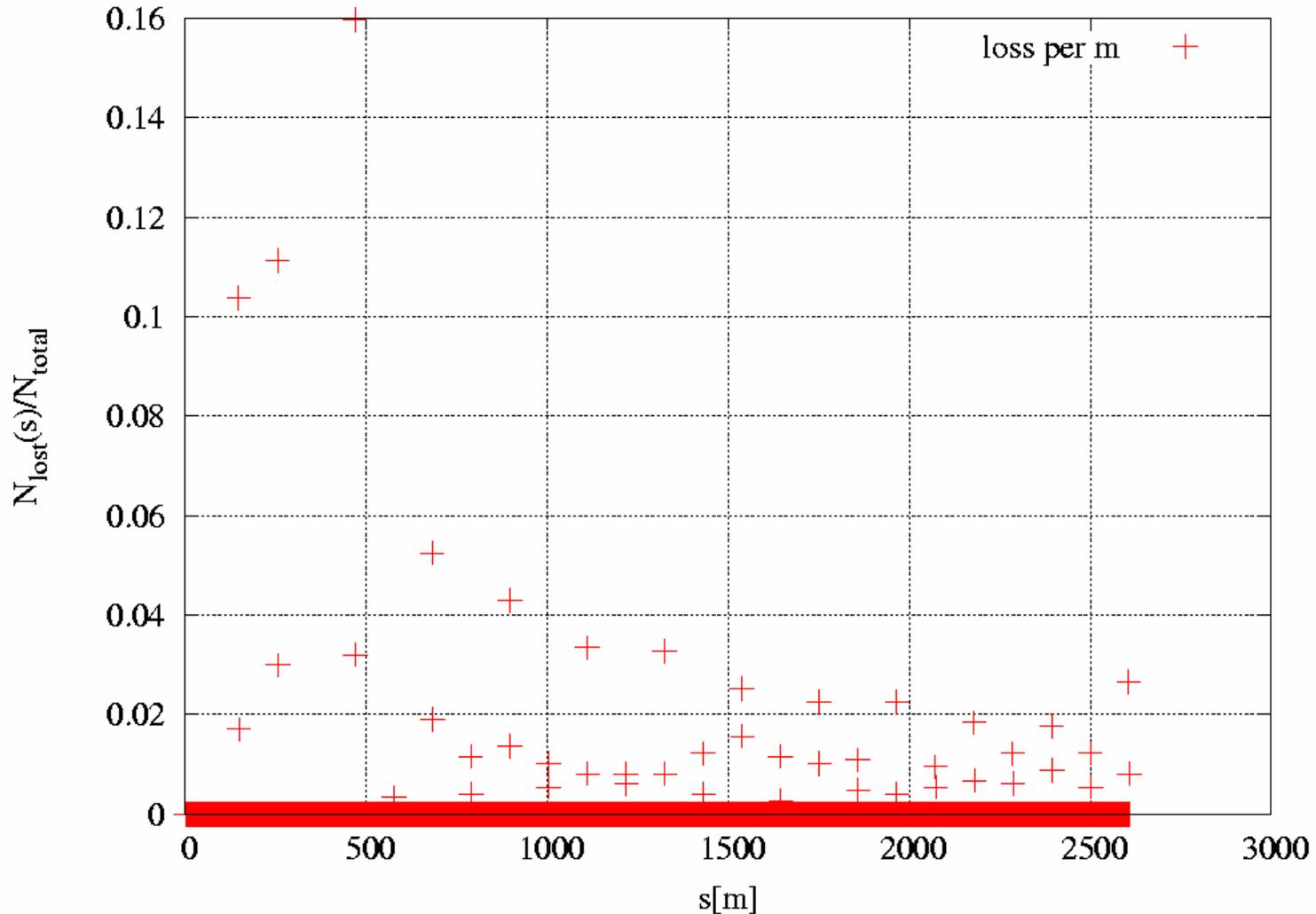
Comparison: cuts in phase space: whole arc (46 halfcells) – 29 halfcells



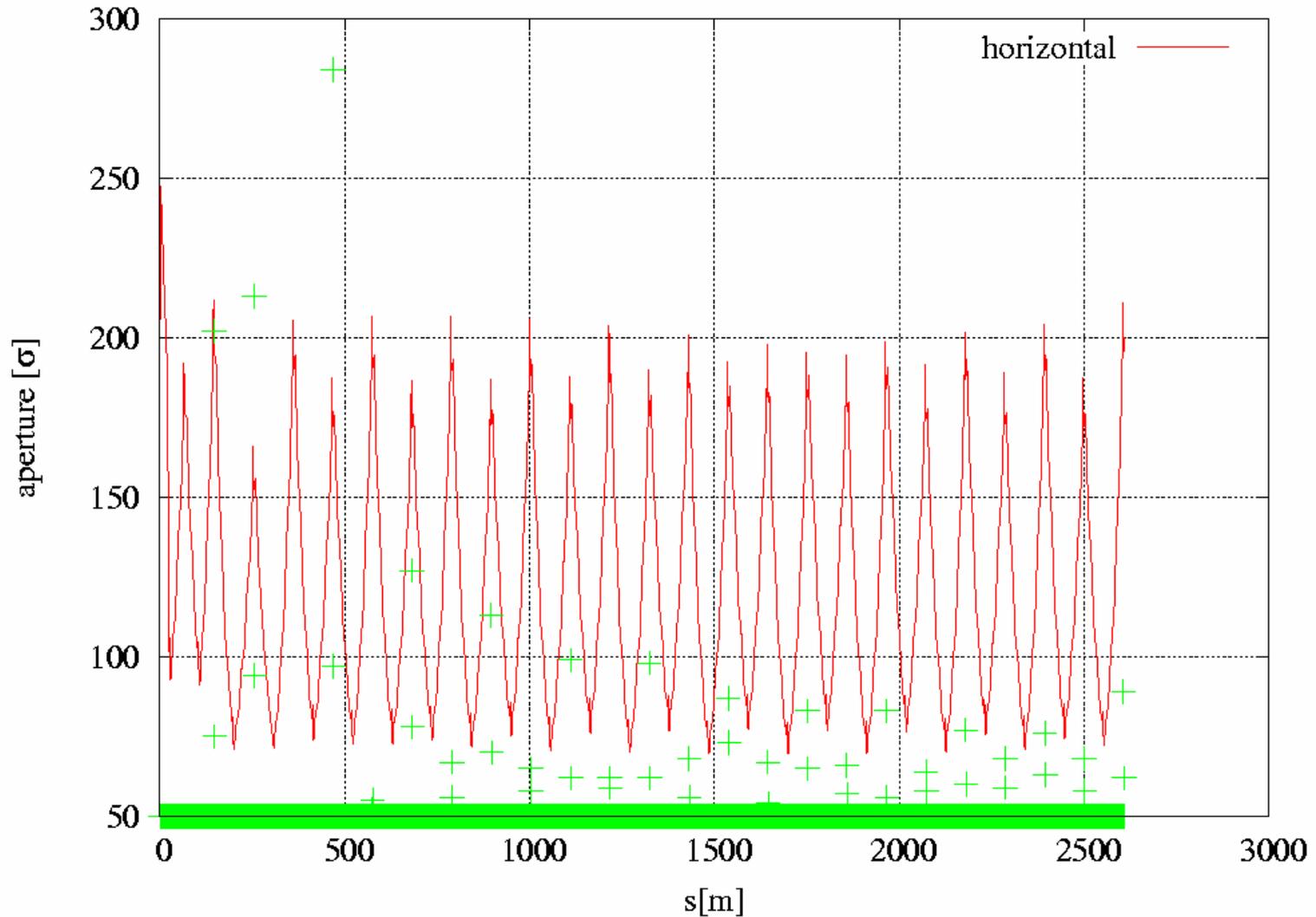
Uniform distribution in y , $x=0$:
normalized phase-space: cut at $\sim 55\sigma$



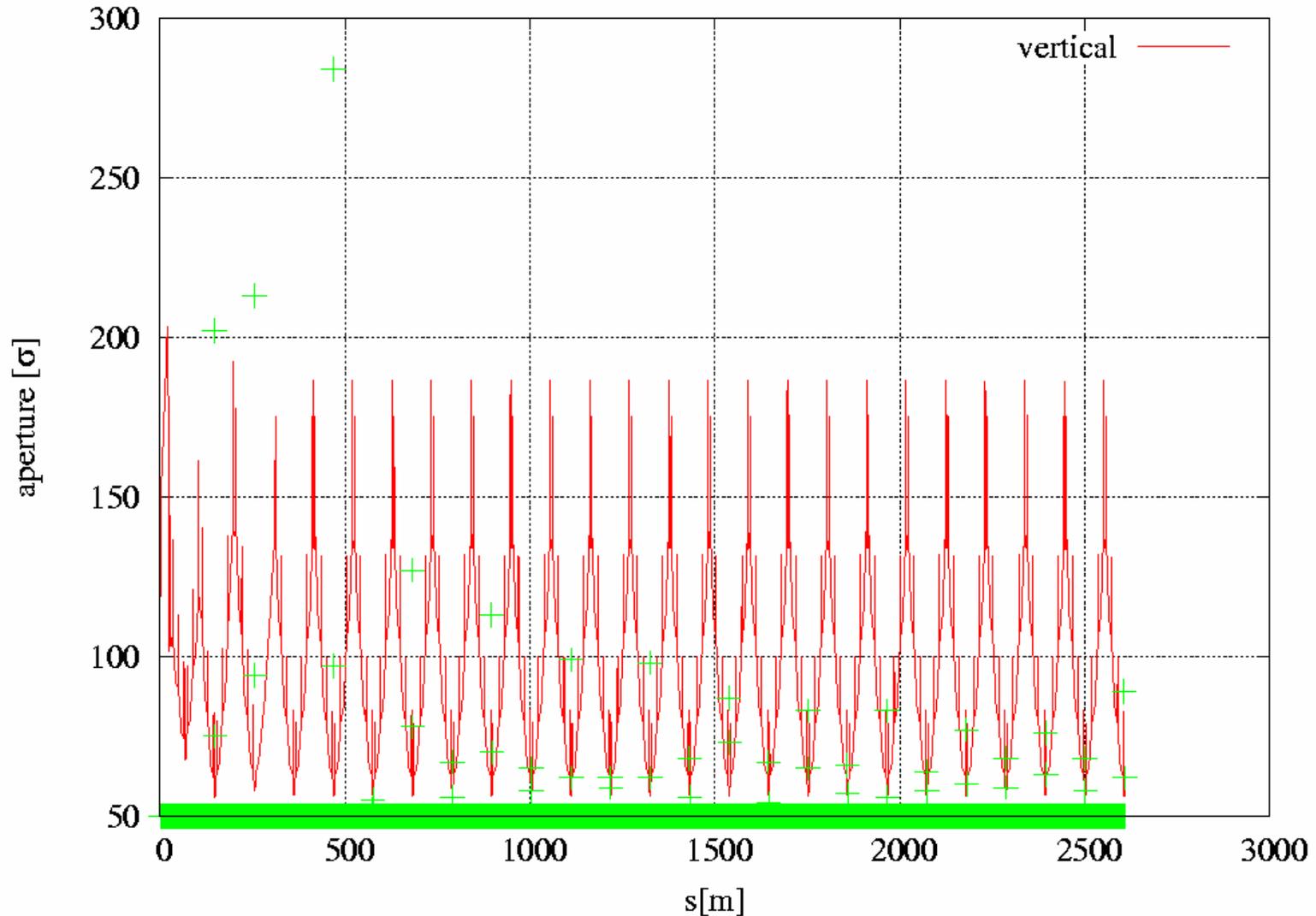
Lost Distribution: uniform distribution y , $x=0$. Losses occur only at quads.



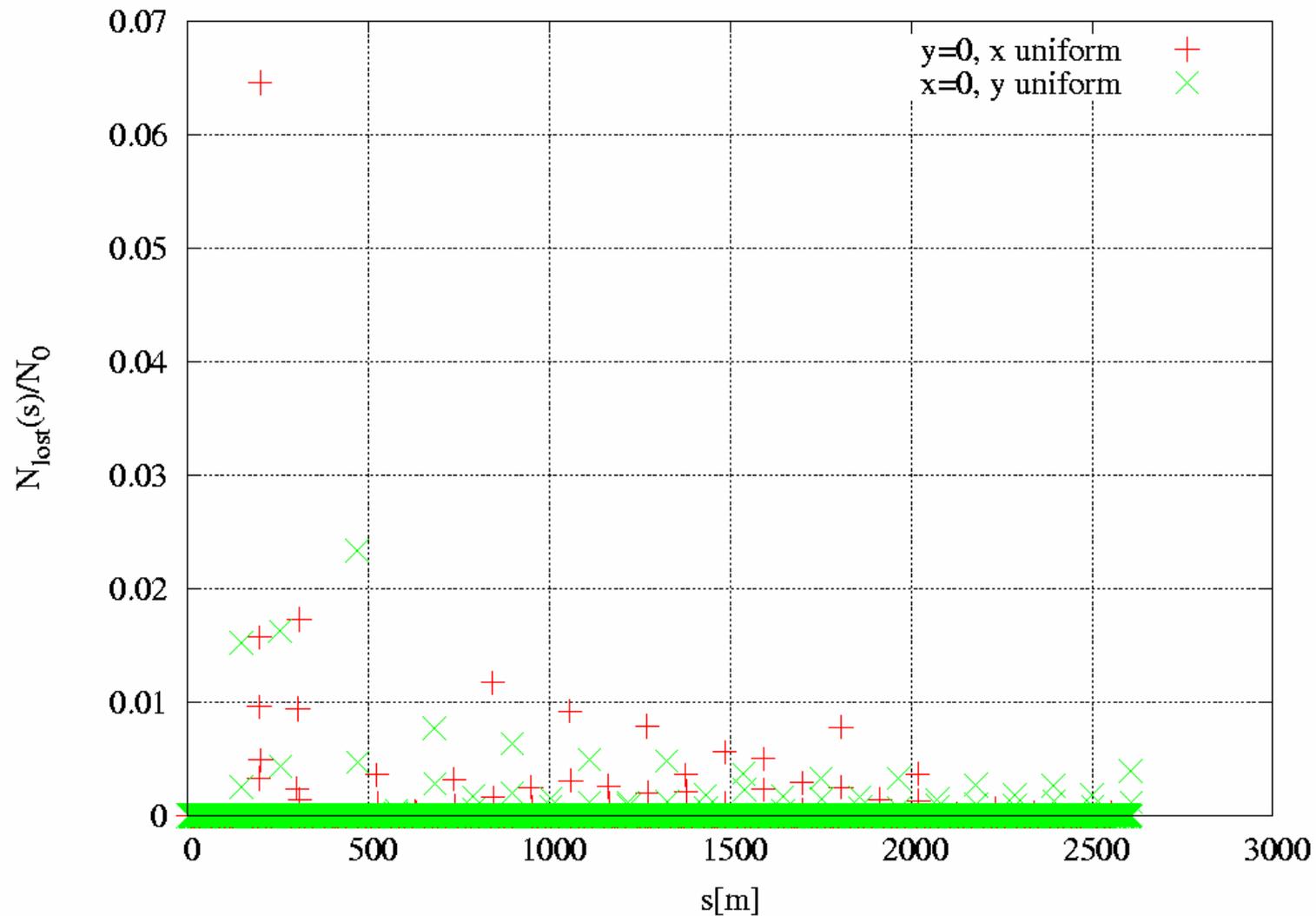
Comparison: loss locations - horizontal aperture limits ...



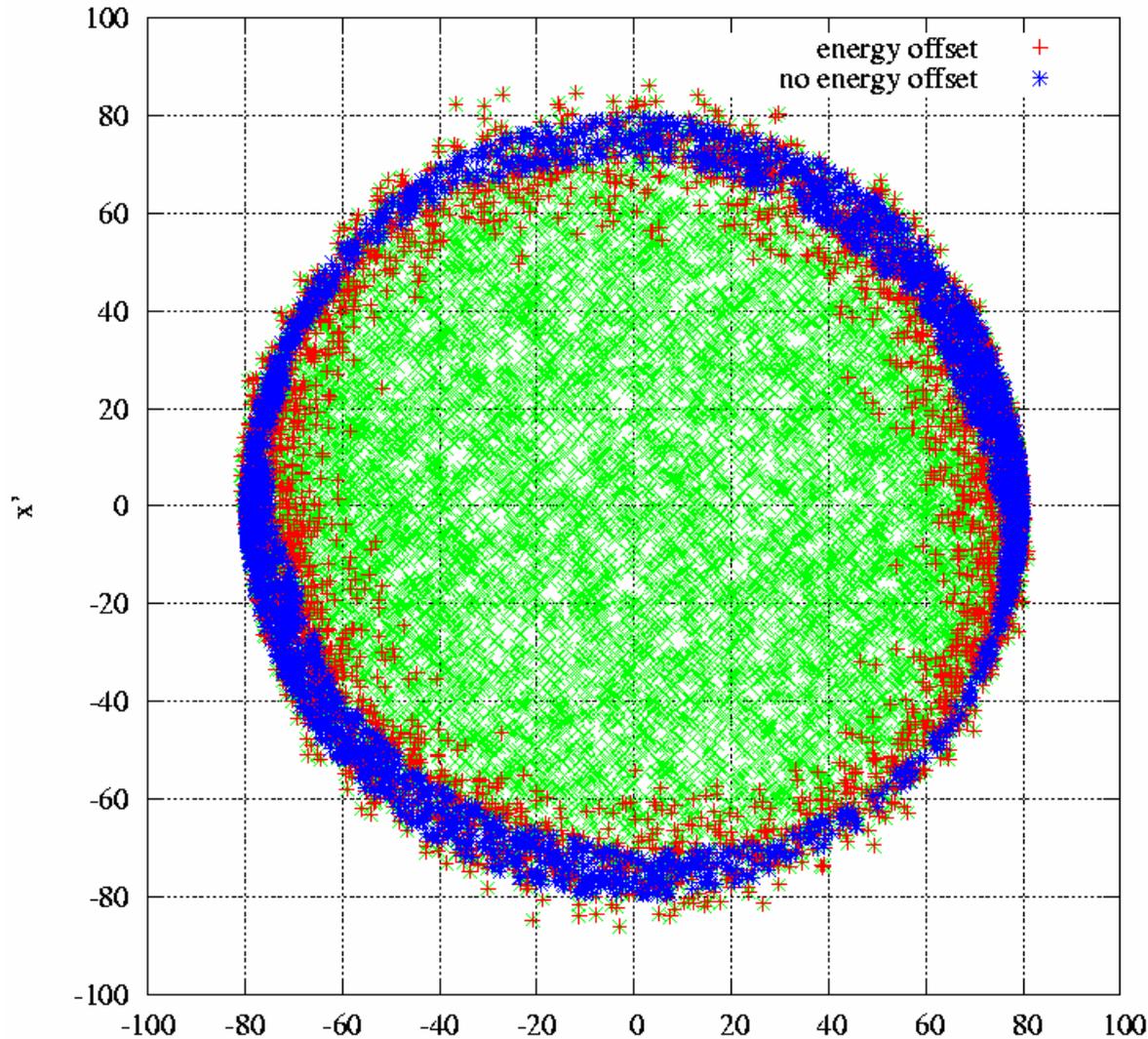
Comparison: loss locations - vertical aperture limits ...



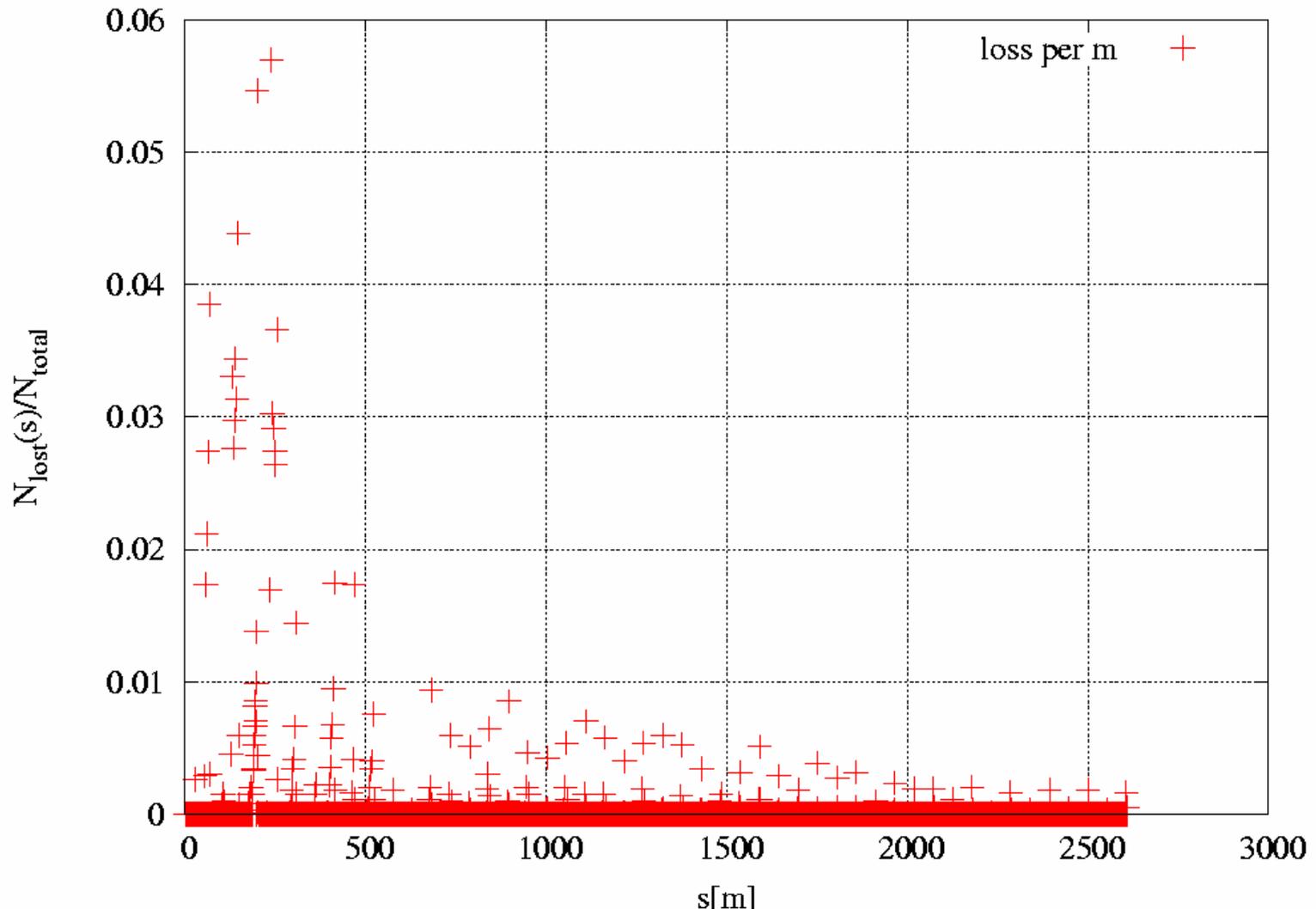
Comparison: uniform distributin in x (y=0) and unifrom distribution in y (x=0)



Uniform distribution in x (80σ), $y=0$;
Energy offset: $\sigma_\delta=0.001$



Uniform distribution in x and y (80σ); Energy offset: $\sigma_\delta=0.001$



Some numbers ...

Uniform distribut.	L_{dil}	cut	loss@ quads	loss@ bends	else
	[m]	[σ]	%	%	%
x, y=0	3.4	~75	83	4	13
x, $\delta \neq 0$ $\sigma_{\delta} = 0.001$	7	~60	38	39	23
y, x=0	6.3	~55	100	0	0
x, y	13.7		63.3	29.3	7.3
x, y, $\delta \neq 0$ $\sigma_{\delta} = 0.001$	17.6		52	40	8

Conclusion

- ❑ We now have a tool to study longitudinal beam loss distributions.
- ❑ As it is based on MAD, errors in the machine (orbit, misalignments,...) can be easily included
- ❑ For the next step (**dilution length for collimation system**) we need realistic initial particle coordinates: Halo data from Ralph