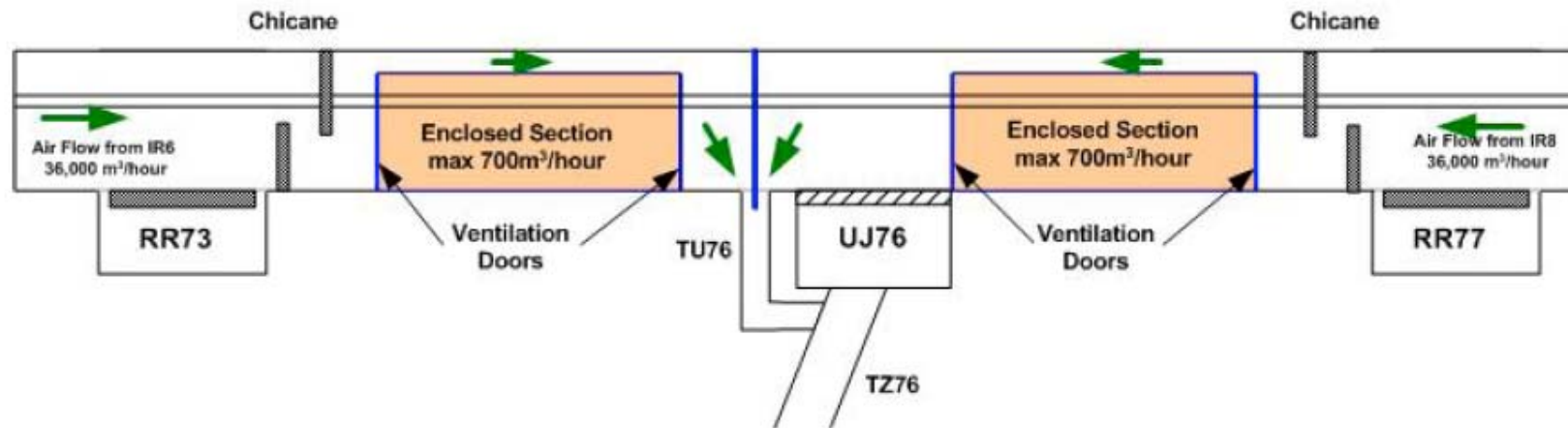


Ozone production in IR7

Preliminary results

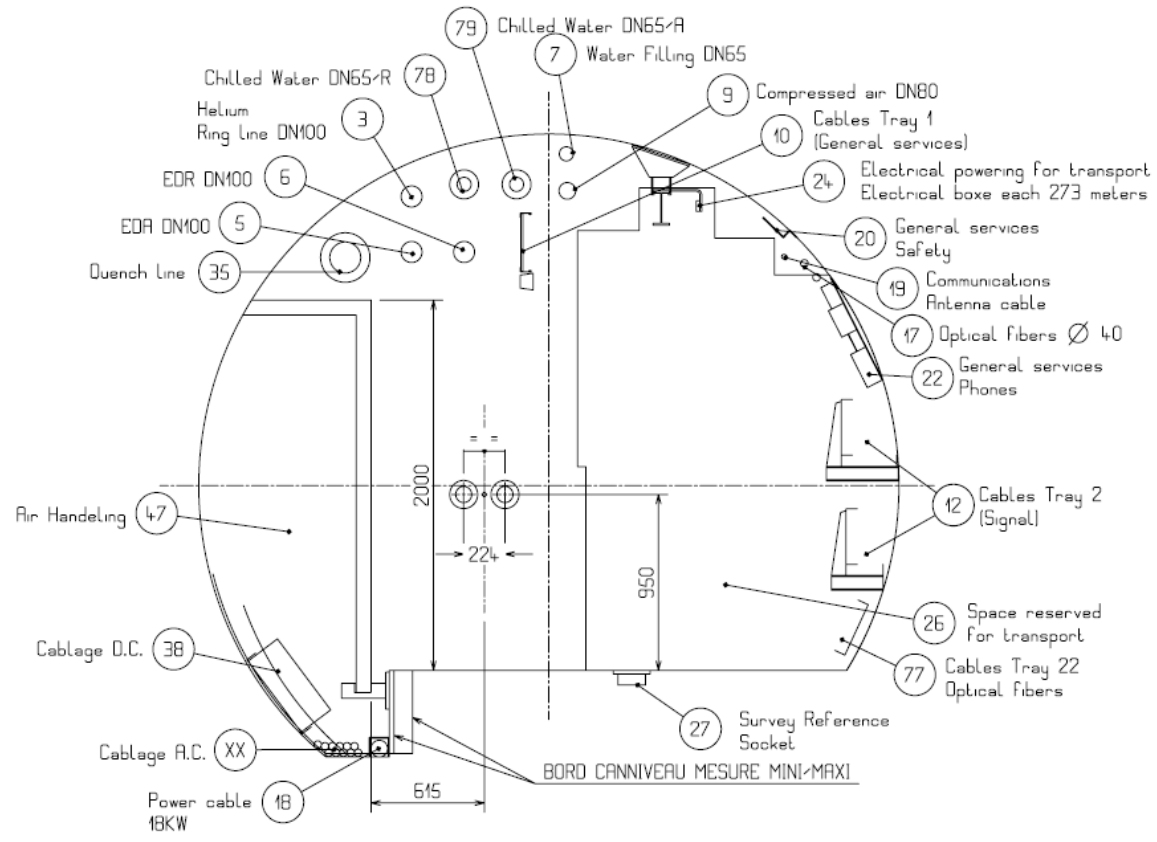
Andy Presland (AB/ABT/EET)

Introduction



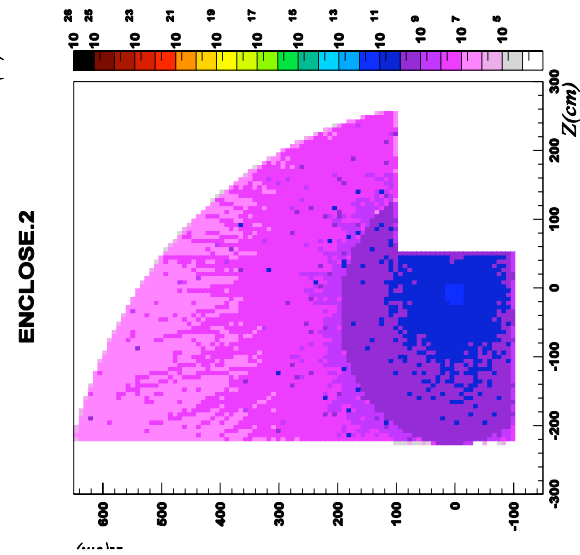
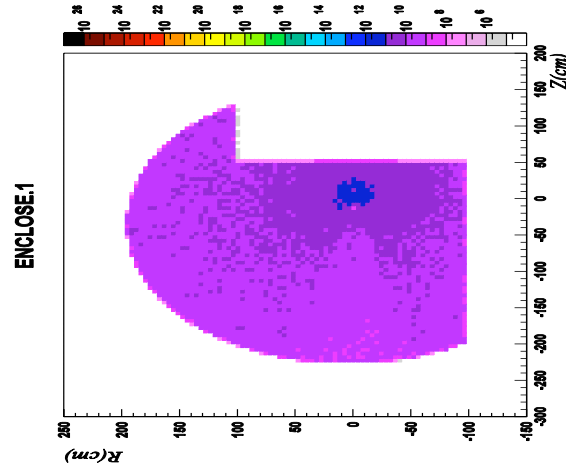
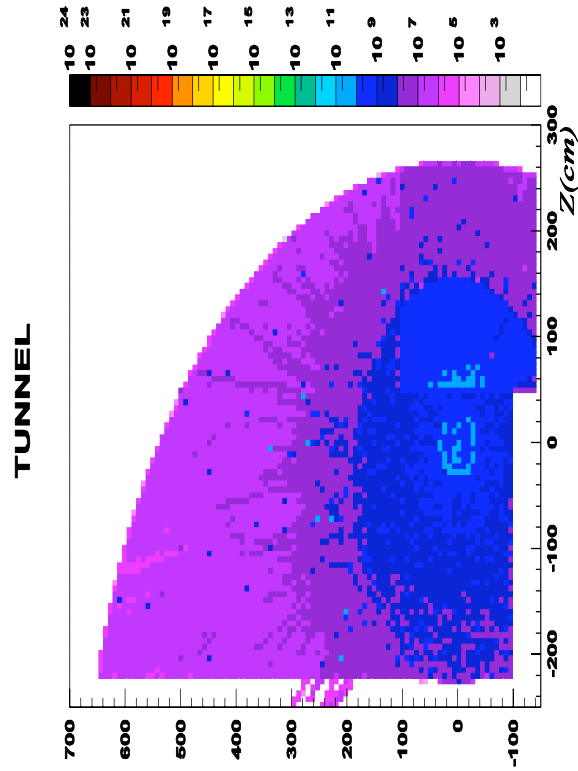
- Radiation induced production of O_3 around IP7.
 - dose estimates provided by Fluka
 - assumed 4.1×10^{16} lost protons per year.
 - assumed all Fluka energy loss in air is ionizing.
- Enclosures around regions of high dose (O_3 concentration)
 - enclosures seal the tunnel in areas where the ozone
 - voided independently of the main tunnel
 - air corridor to allow passage of tunnel air towards TU76

Tunnel Section



Energy scorings

- Annual dose (GeV/cm^3) based 4800 beam-hours
- Compliant with the standard $10^4 - 10^5 \text{ Gy}/\text{year}$



Calculation (1)

- Fasso et al (1982) **LEP Note 379** gives the following differential equation

$$\frac{dN}{dt} = \underset{\substack{\uparrow \\ \text{formation}}}{IG} - \overset{\substack{\downarrow \\ \text{dissociation}}}{\alpha N} - \overset{\substack{\uparrow \\ \text{decomposition}}}{kIN} - \overset{\substack{\swarrow \\ \text{ventilation}}}{\frac{Q}{V}N}$$

- I = ionizing energy deposited in air per unit time, in $\text{eVcm}^{-3}\text{s}^{-1}$
- G = number of ozone molecules formed, in eV^{-1} ($7.4 \times 10^{-2} \text{ eV}^{-1}$)
- α = dissociation constant for ozone, in s^{-1} ($2.3 \times 10^{-4} \text{ s}^{-1}$)
- N = concentration of ozone at time t, in cm^{-3}
- k = decomposition constant, in $\text{eV}^{-1}\text{cm}^3$ ($1.4 \times 10^{-16} \text{ eV}^{-1}\text{cm}^3$)
- Q = ventilation rate, in cm^3s^{-1}
- V = irradiated volume, in cm^3

- Integration leads to the following **concentration kinetics**:

$$N(t) = \frac{IG}{\alpha + kI + Q/V} \left\{ 1 - \exp\left[-(\alpha + kI + Q/V)t\right] \right\}$$

Calculation (2)

- More useful **steady state** formulation in a tunnel
 - average energy , I_{ave} , is deposited per unit time
 - air circulates with speed v ms⁻¹
 - length z of tunnel is irradiated

$$N(z) = \frac{I_{ave} G}{\alpha + kI_{ave}} \{ 1 - \exp[-(\alpha + kI_{ave})z / v] \}$$

This is a special case of the previous equation where the concentration N cm⁻³ increases with distance z traversed and air traverses a length z meters of tunnel in z/v seconds accumulating a concentration $N(z)$ molecules of ozone

Results

- Steady state results for air exiting regions

	Tunnel	Encl. 1	Encl. 2
N_{O3} (ppm)	2.20 × 10⁻³	1.378 × 10⁻¹	1.334 × 10⁻¹

- Assumed ventilation rates
 - 36000 m³h⁻¹ for the main tunnel
 - 700 m³h⁻¹ for the enclosures
- Parts per million conversion requires
 - air density of 1.202 kg m⁻³
 - molecular weight of 28.95 g mol⁻¹
 - Avogadro constant N_A = 6.022 × 10²³

Results

- Concentration kinetics using averaged dose
 - assumes ‘magic ventilation’ where air is not considered to travel to the ventilation point through a radiation environment.
 - only useful to compare growth rates etc

